

2 A CLASSIC LINEAR REGRESSION MODEL IS A MODEL THAT WE CAN WRITE IN THIS WAY:
 $y = X\beta + \epsilon$
 MATRIX / $y_i = X_i\beta + \epsilon_i \quad i=1, \dots, m \quad \sum = 0^2 I_m$

IT'S CHARACTERIZED BY HOMOGENEITY (SAME VARIANCE) AND UNCORRELATION (COV=0)

3 $y_i = \beta_1 + \beta_2 D_i + \beta_3 X_i + \epsilon_i$
 LOGGED ANNUAL CO₂ EMISSIONS IN COUNTRY I (AVERAGE VALUE OF THE 0 YEAR) IS A DUMMY VARIABLE (HOMOGENEITY) $i = 1, 2, \dots, m$ COUNTRIES CONSIDERED
 LOGGED VALUE OF CO₂ EMISSIONS REGISTERED IN COUNTRY I

2 THIS MODEL TRY TO EXPLAIN THE CORRELATION BETWEEN THE ANNUAL TEMPERATURE IN COUNTRY I AND IF IT CHANGES THROUGH REGIONS (SOUTH OR NORTH) AND CONSIDERING THE CO₂ EMISSIONS REGISTERED IN COUNTRY I

$\beta_3 =$ IN THIS MODEL IF β_3 REPRESENTS HOW MUCH THE CO₂ CONTRIBUTE TO THE ANNUAL TEMPERATURE.
 IF β_3 IS 0 THIS MEANS THAT CO₂ DOESN'T INFLUENCE AT ALL THE ANNUAL TEMPERATURE WHILE IF IT'S BIGGER THAN 0 IT MEANS THAT IT WILL INFLUENCE IN A WAY THE RESULTS.

b SOUTH COUNTRIES -> 1 NORTH COUNTRIES -> 0
 H0: $\beta_2 = 0$ -> THE INTERVENTION IS THAT THE FACT THAT IT'S SOUTH OR NORTH DOESN'T INFLUENCE THE OBTAIN OUTCOME.
 THERE ARE NO DIFFERENCES BETWEEN NORTH AND SOUTH

c $\sum = E(\epsilon\epsilon')$
 $\sum = \begin{pmatrix} \sigma^2 & 0 & \dots & 0 \\ 0 & \sigma^2 & \dots & 0 \\ \vdots & \vdots & \ddots & \vdots \\ 0 & 0 & \dots & \sigma^2 \end{pmatrix}$
 HOMOGENEITY
 UNCORRELATION
 COV=0

$X = \begin{bmatrix} 1 & 1 & X_1 \\ 1 & 0 & X_2 \\ \vdots & \vdots & \vdots \\ 1 & 1 & X_i \end{bmatrix}$
 CONSTANT

β_2 REPRESENTS THE AVERAGE TEMP. BETWEEN COUNTRIES